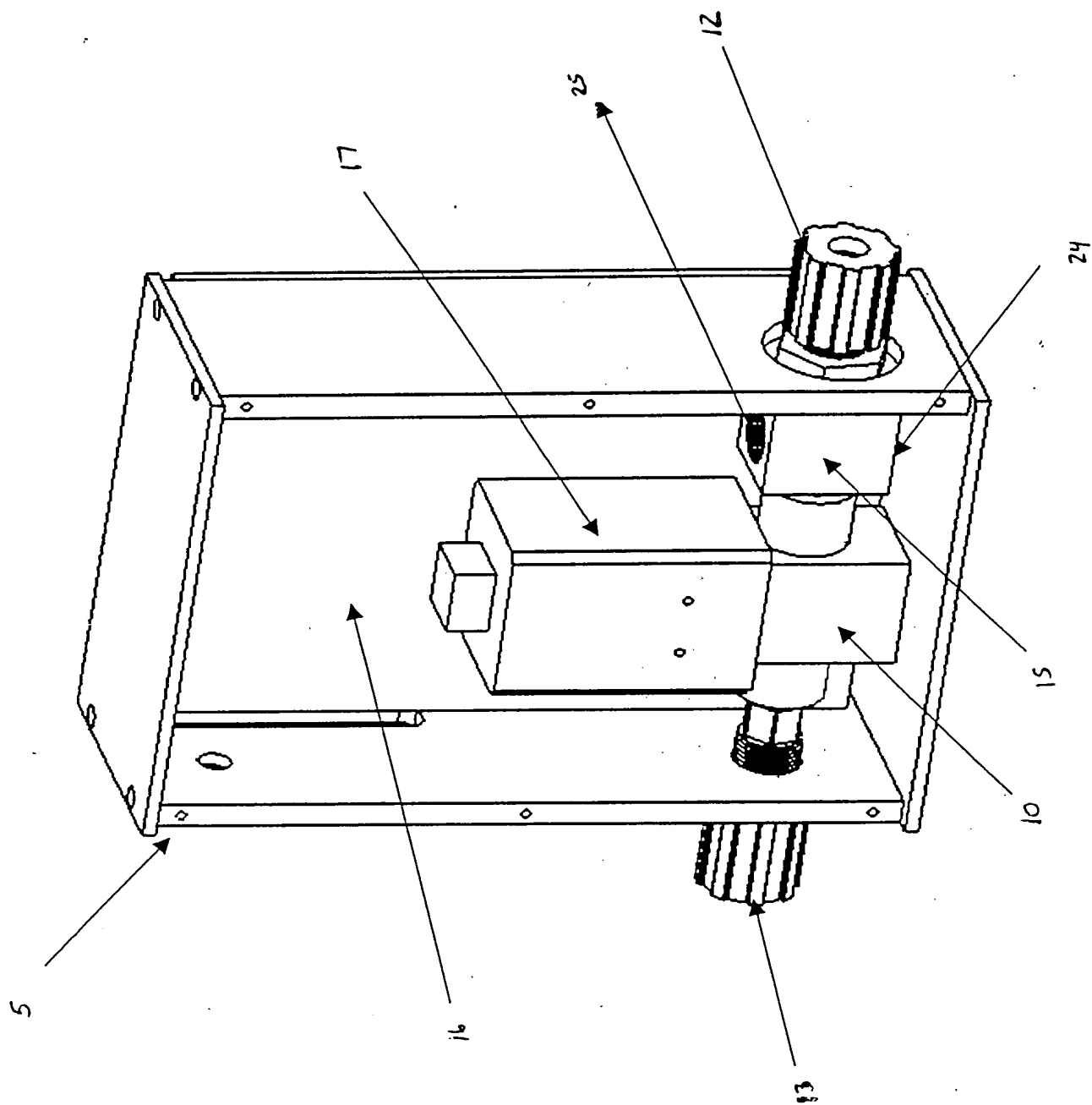


FIG. 1



# Concentric venturi

10/521697

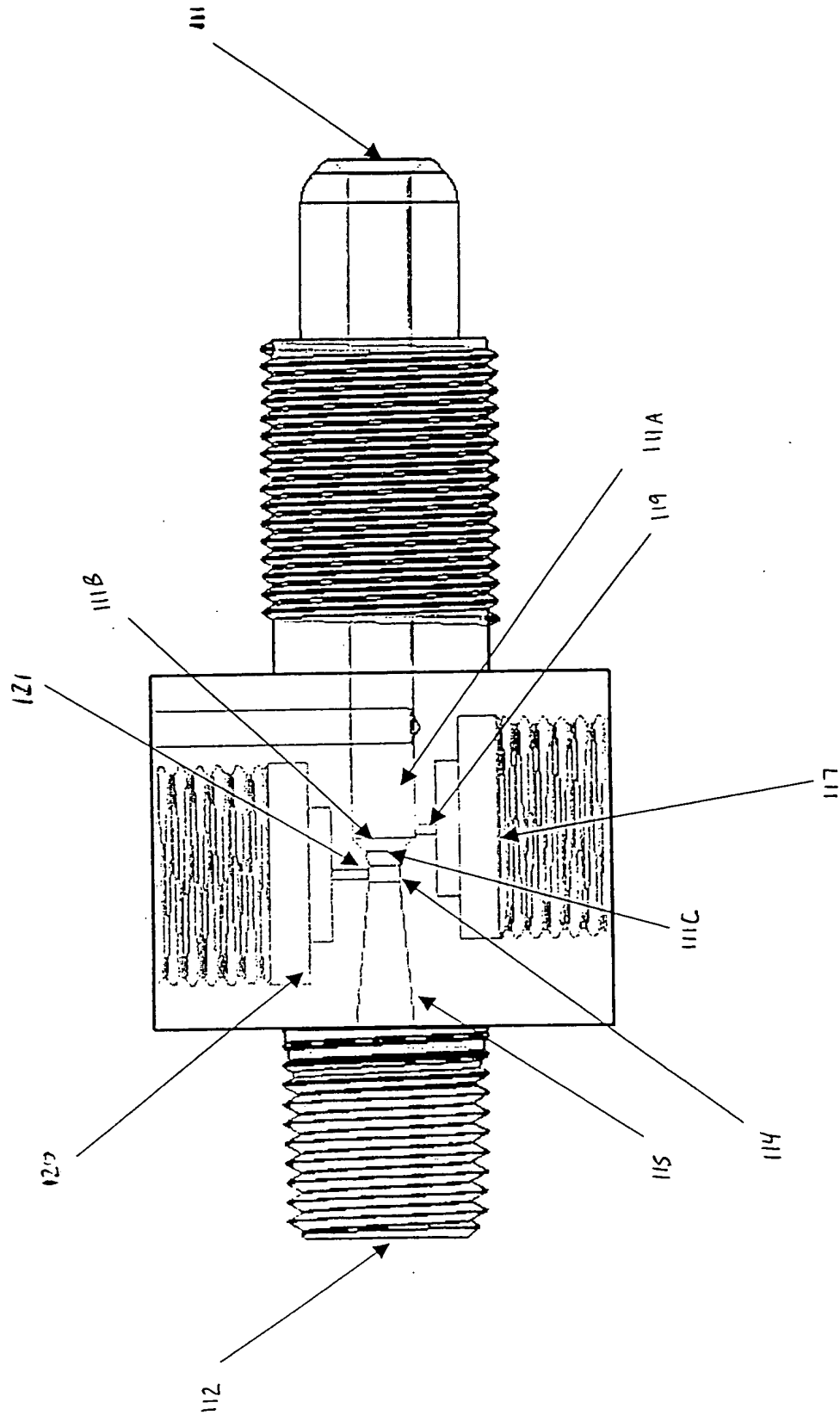


Fig. 2

# Concentric venturi

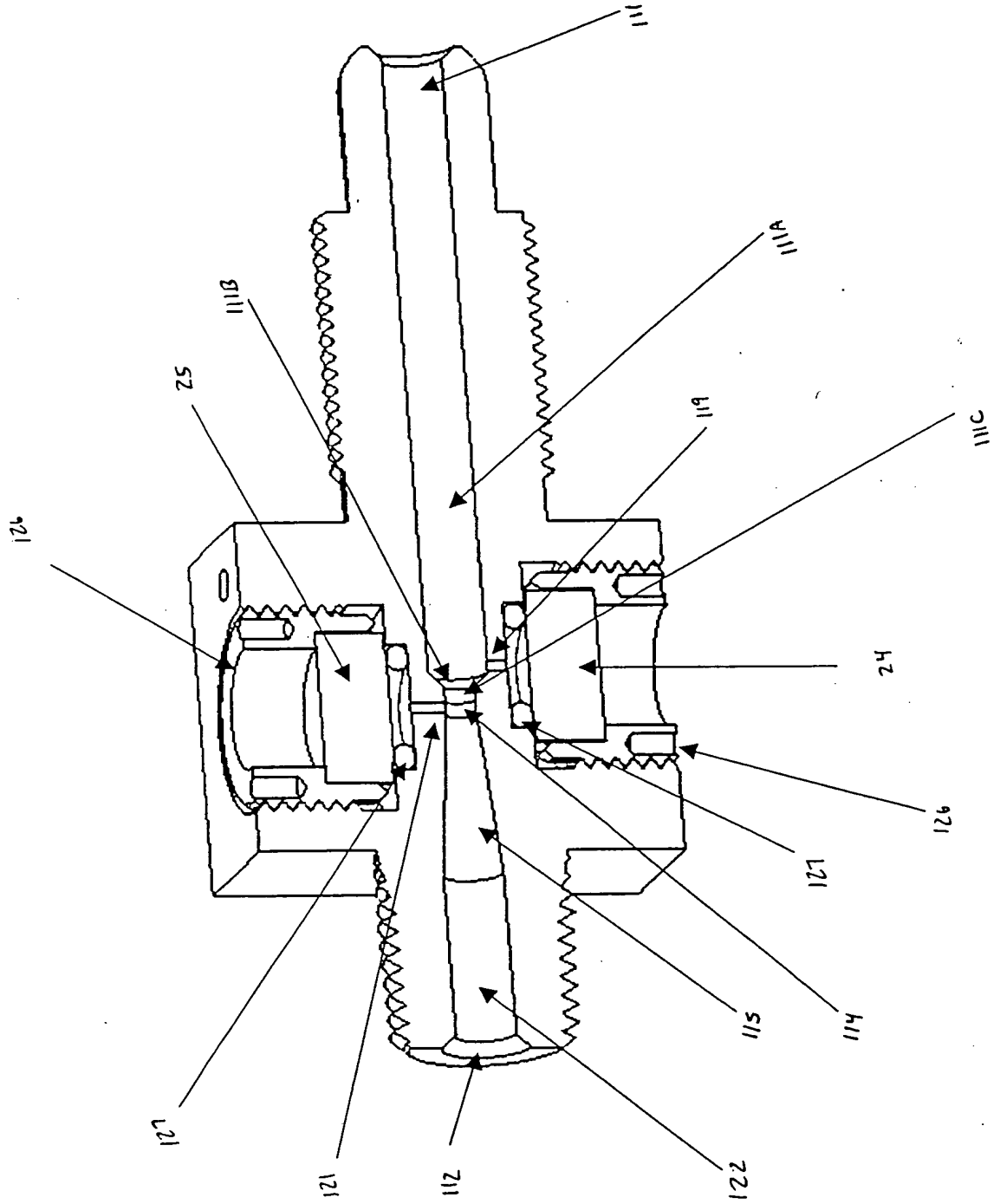
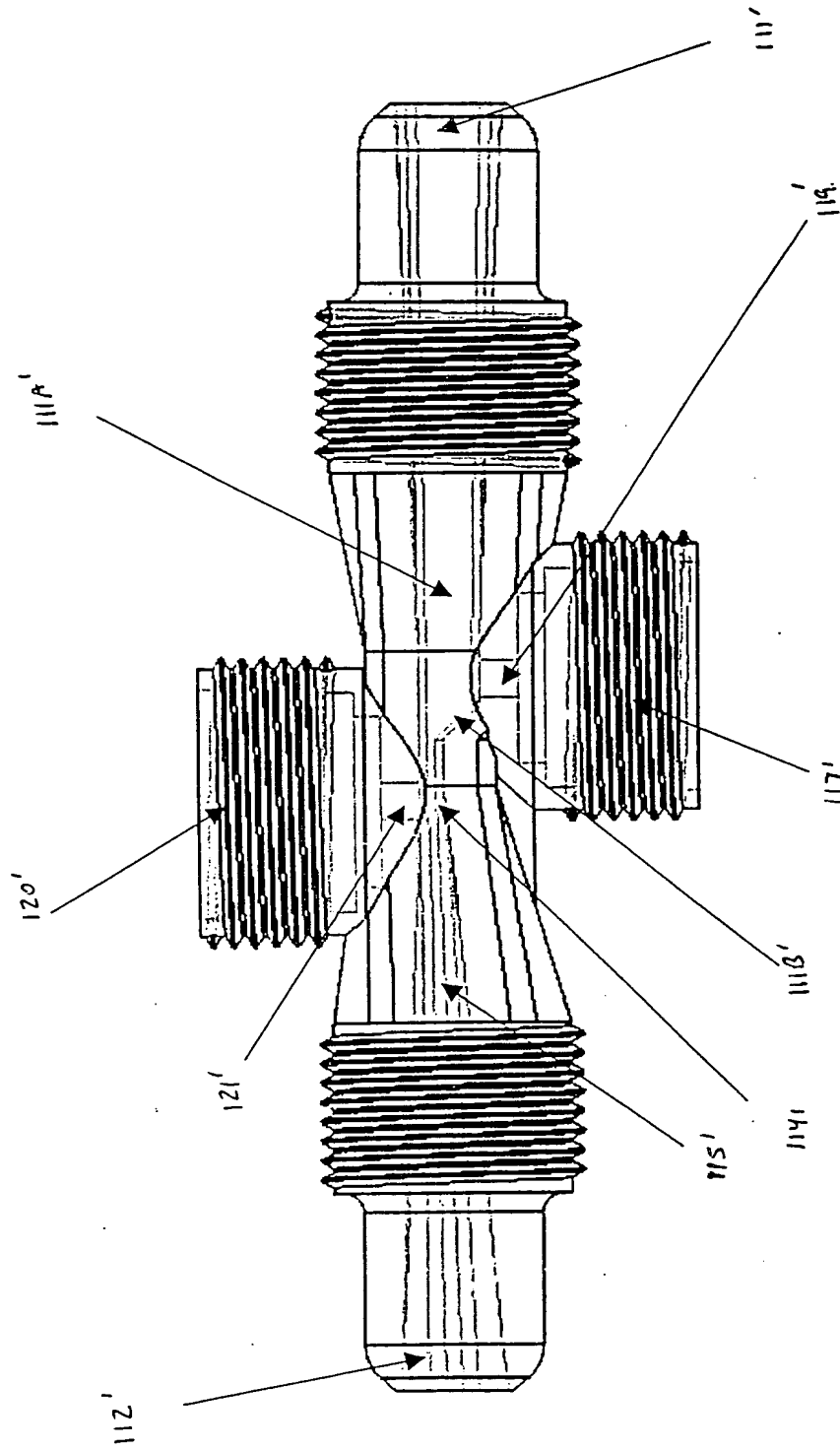


FIG. 3



Eccentric flat channel venturi

FIG. 5

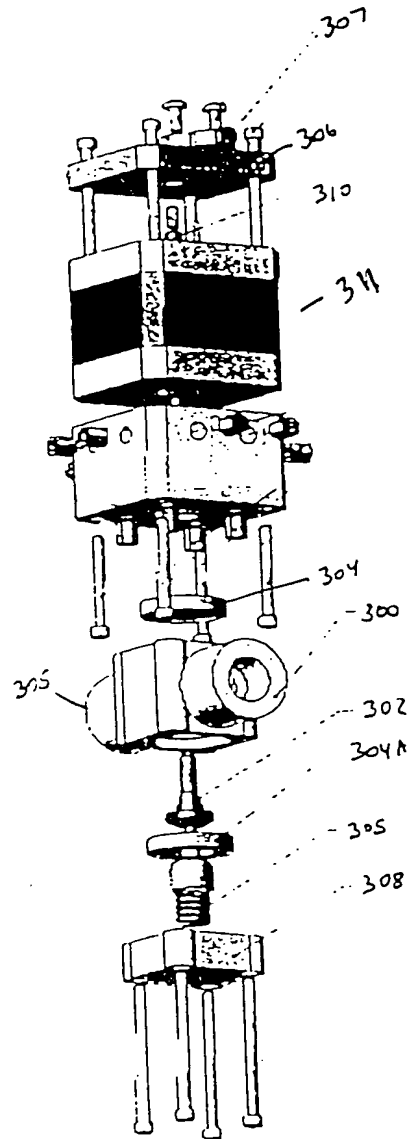


FIG. 6

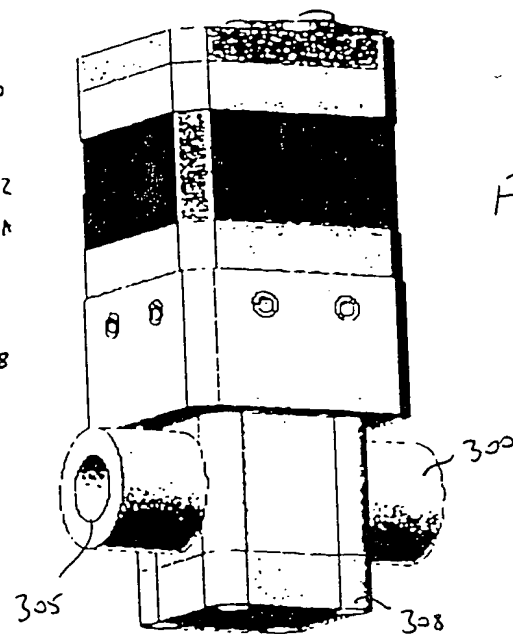


FIG. 7A

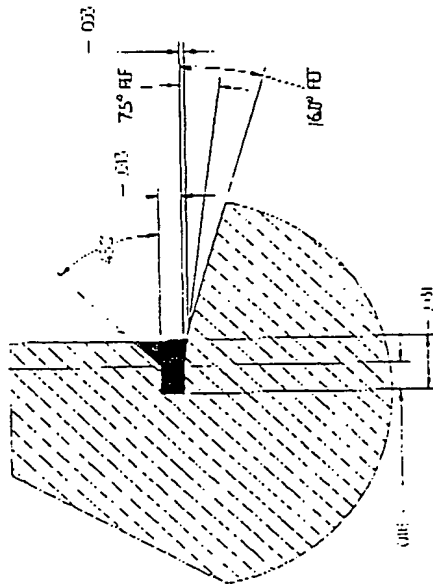
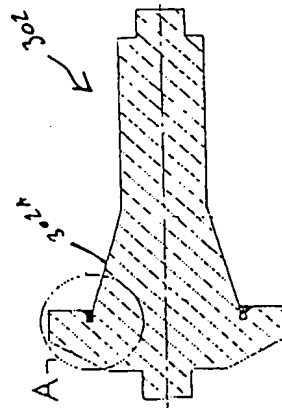


FIG. 7



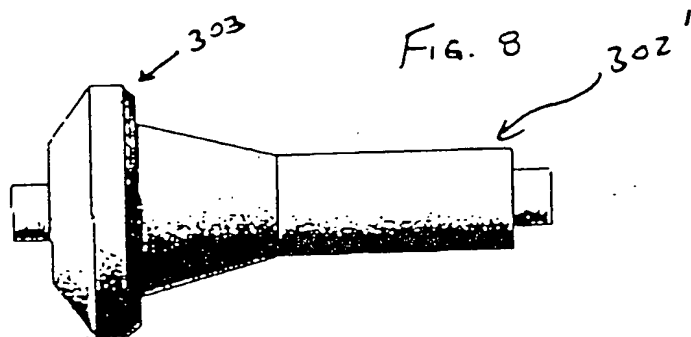


FIG. 9

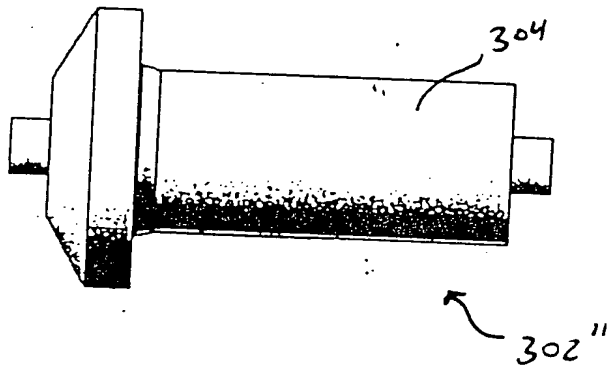
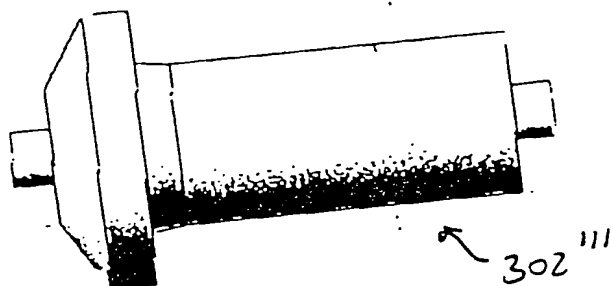




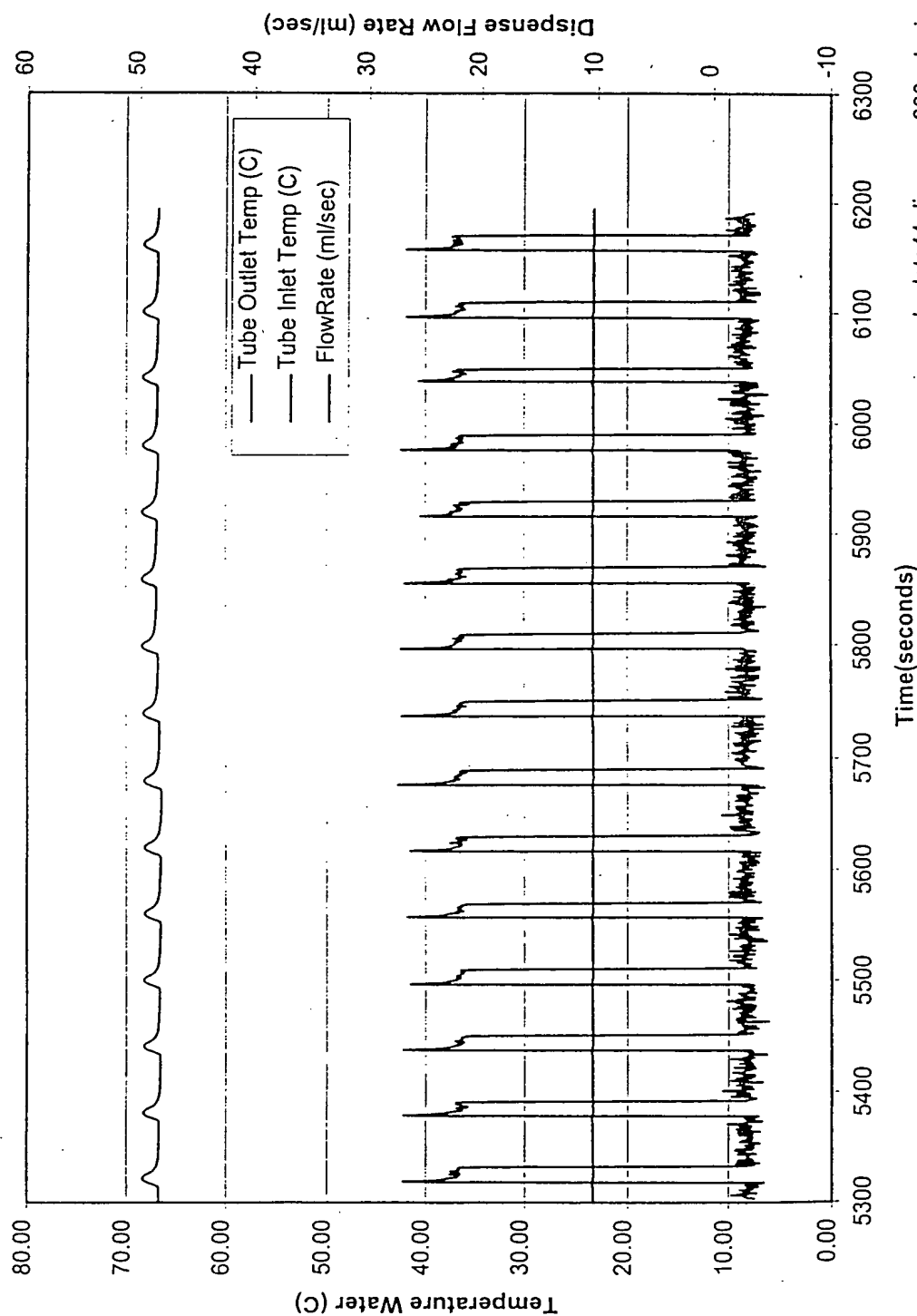
FIG. 10



Heat Exchanger (5265-65-3): Shell ID = 2.25 in, Length = 18 in

Shell (HOT) Flow = 1460 ml/min;  $70 \pm 0.1$  C

300ml total dispense volume @  $67.4 \pm 0.9$  C in 15 sec; off cycle 45 seconds

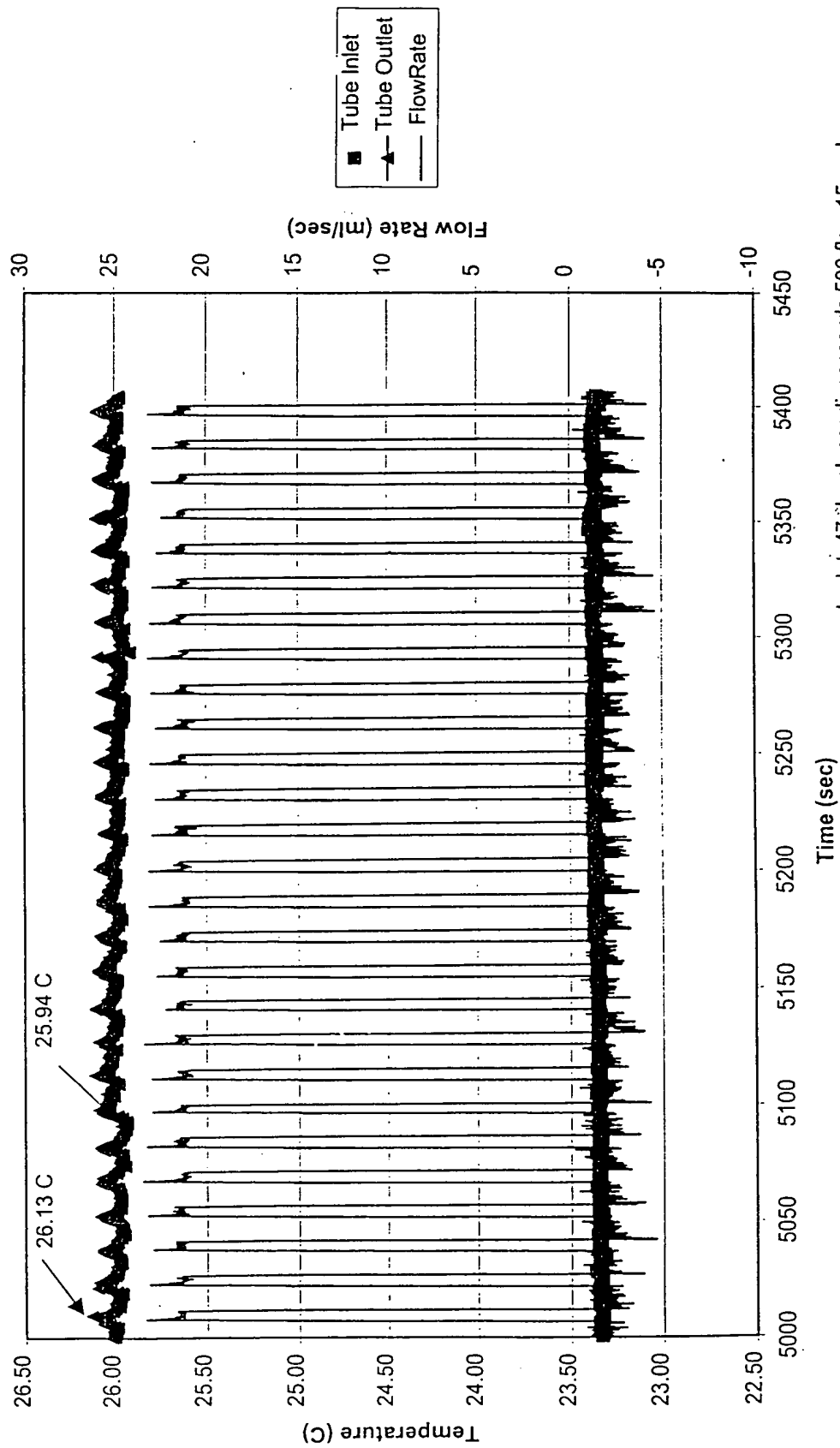


Time(seconds)

hedata44-dispense 300 ml min 18 inch unit.xls

FIGURE 11

Heat Exchanger: Shell ID = 2.25 in, Length = 8 in  
Shell Flow = 500 ml/min @ 27.1 C  
Tube Flow = 1150 ml/min; Cycle 5 seconds on, 10 seconds off Dispense Volume = 100ml  
Tube Inlet Temperature = 23.4 C



hedata47-developer dispense.xls 500 flow 15 cycle

FIGURE 12

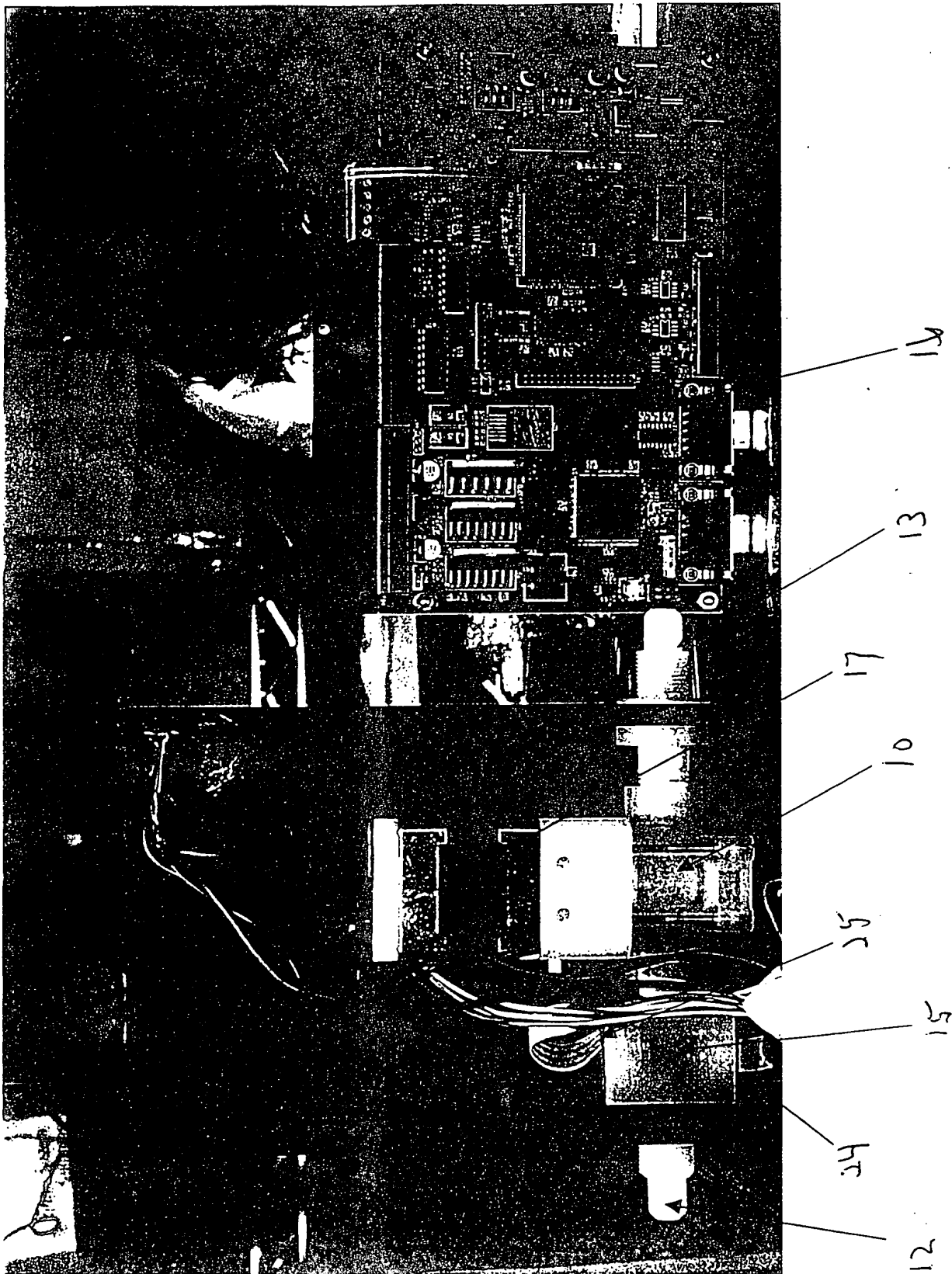


Figure 13

10/521697

Flute #1  
0711flute1flow.xls

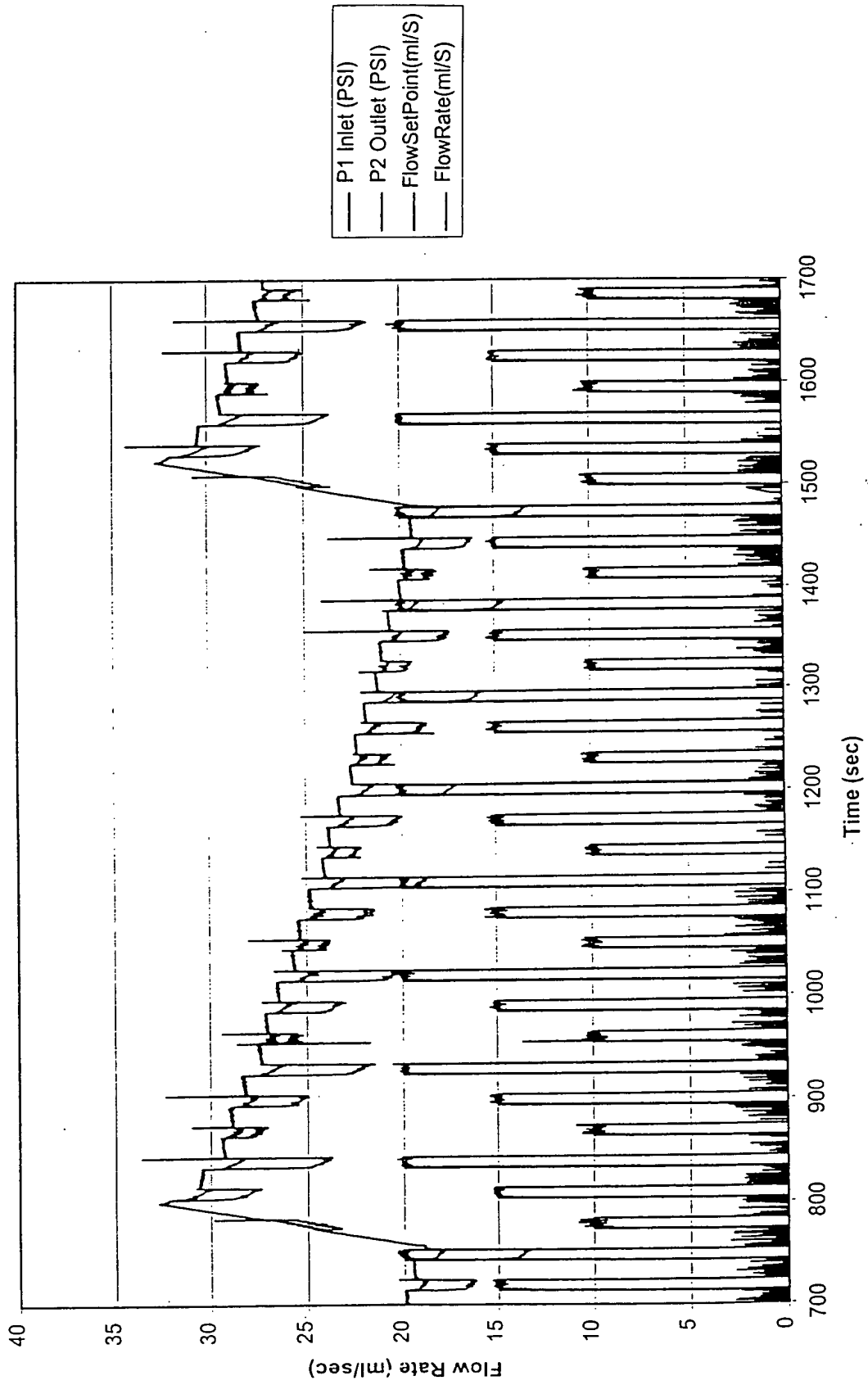


FIGURE 14

## FLUTE 6UVT2 (1/4") VOLUMETRIC FLOW RATE vs PRESSURE DROP

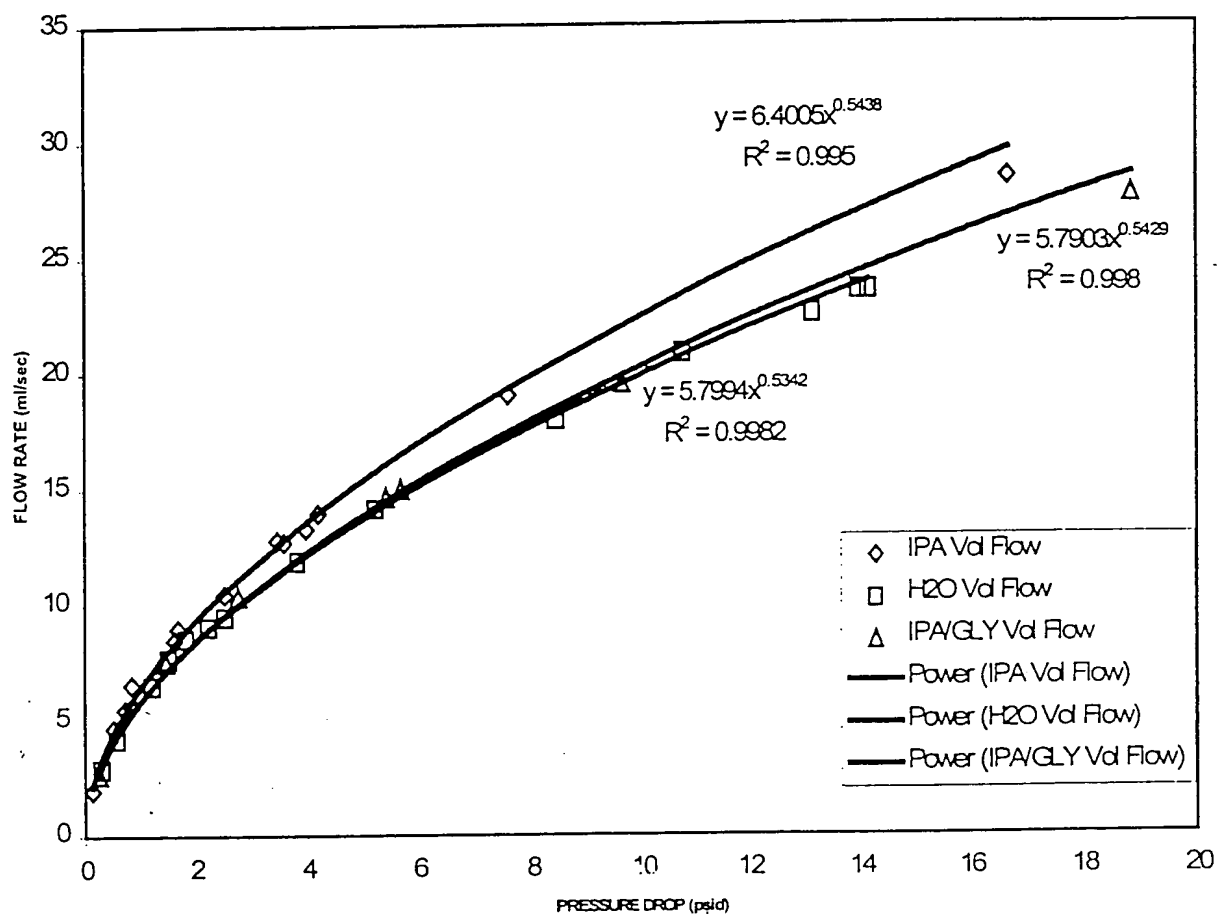


Figure 15

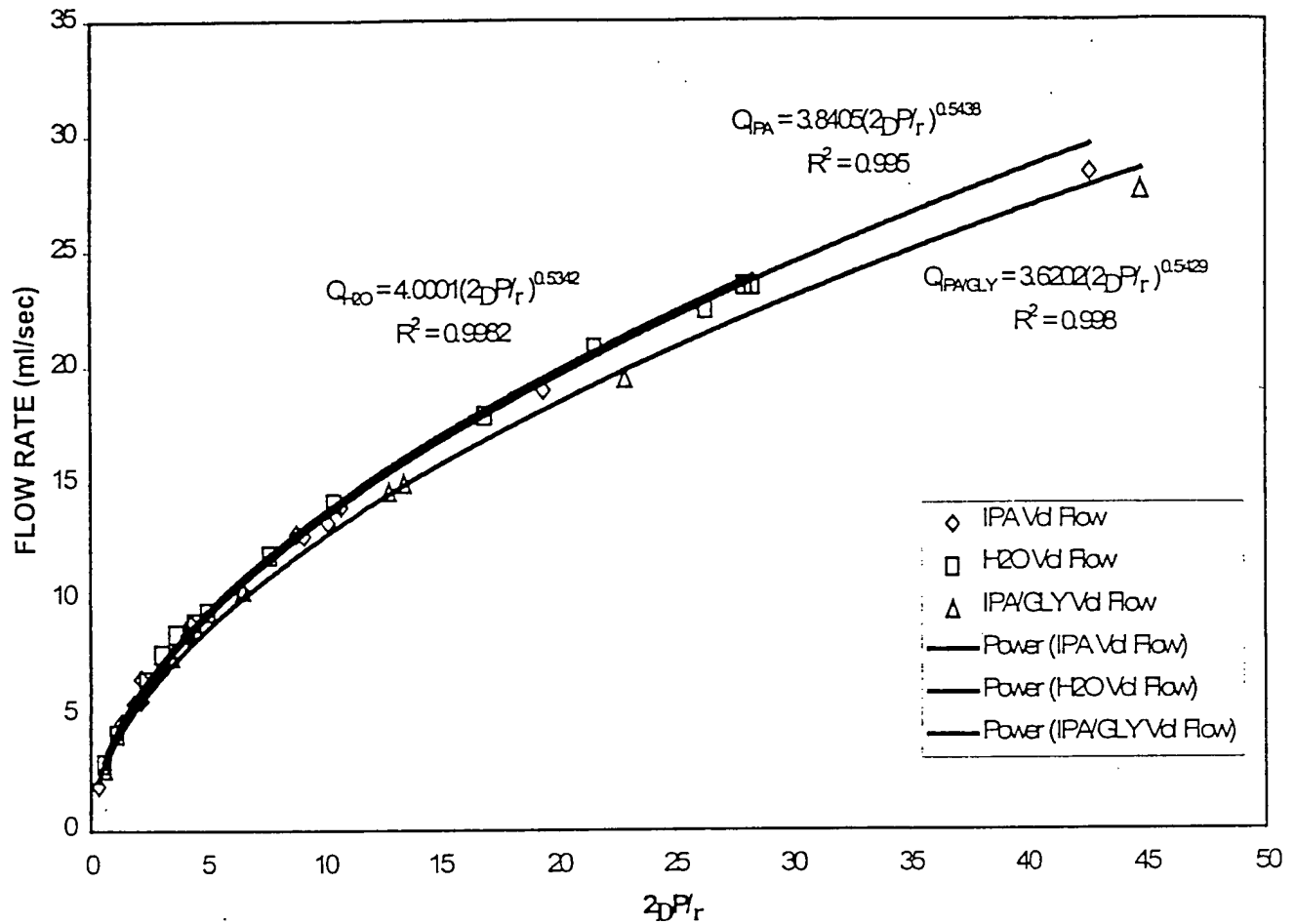
FLUTE GUNT2 (1/4") VOLUMETRIC FLOWRATE vs  $2DPr$ 

Figure 16

CALIBRATION CURVE COEFFICIENT C' vs KINEMATIC VISCOSITY FOR FLUTE 6UVT2  
(1/4")

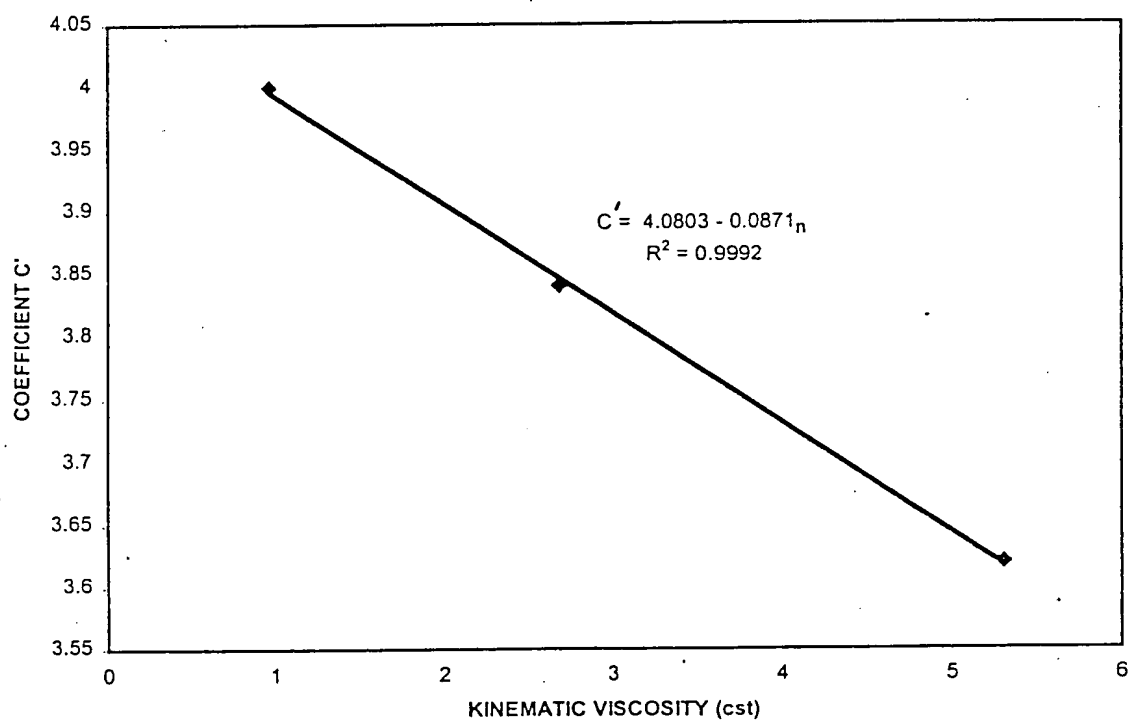


Figure 17



FLUTE 6UVT2 (1/4") FLOWMETER CONSTANT 'K'

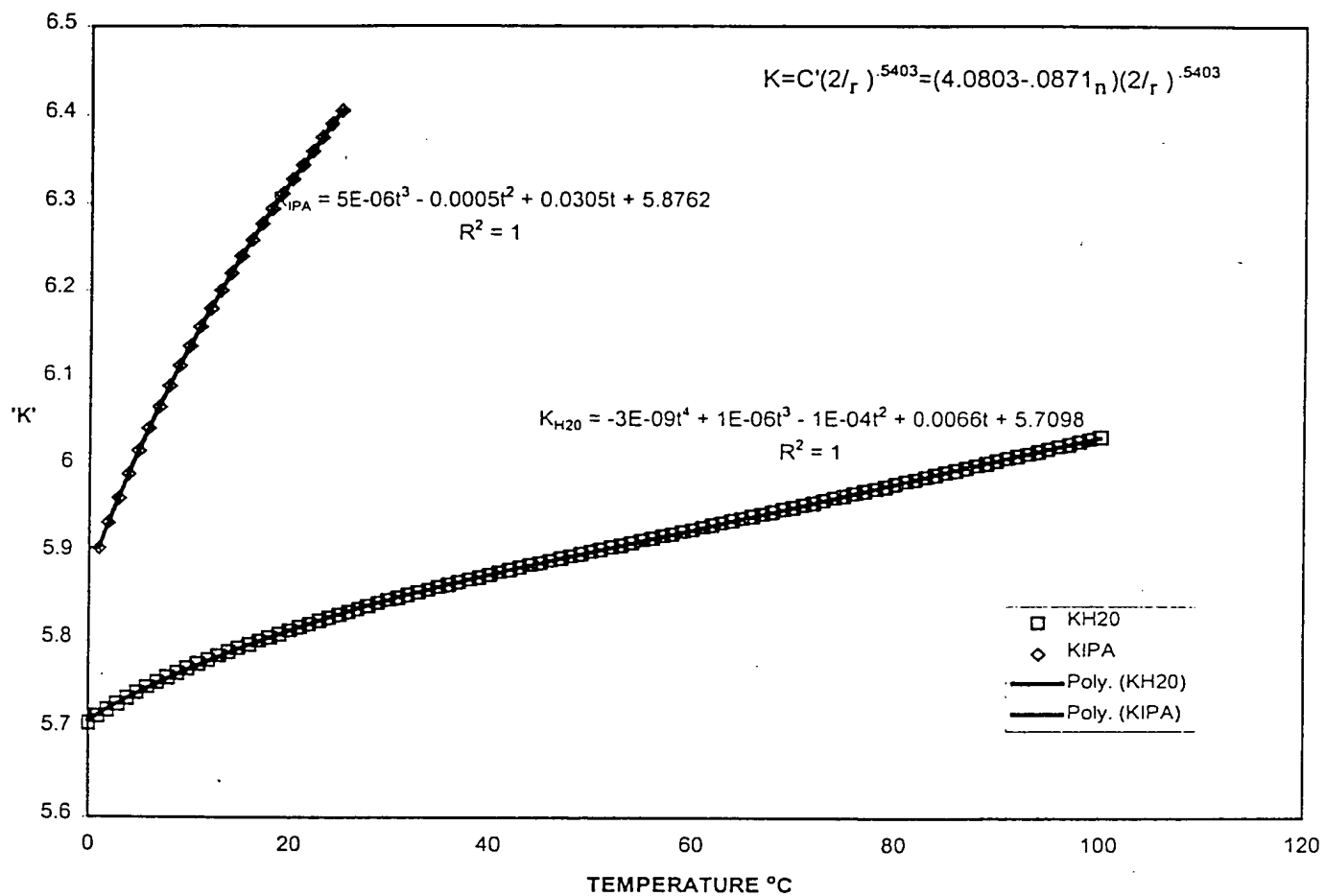


Figure 18

## VOLUMETRIC FLOW RATE vs PRESSURE DROP FOR FLUTE 6UVT2 (1/4")

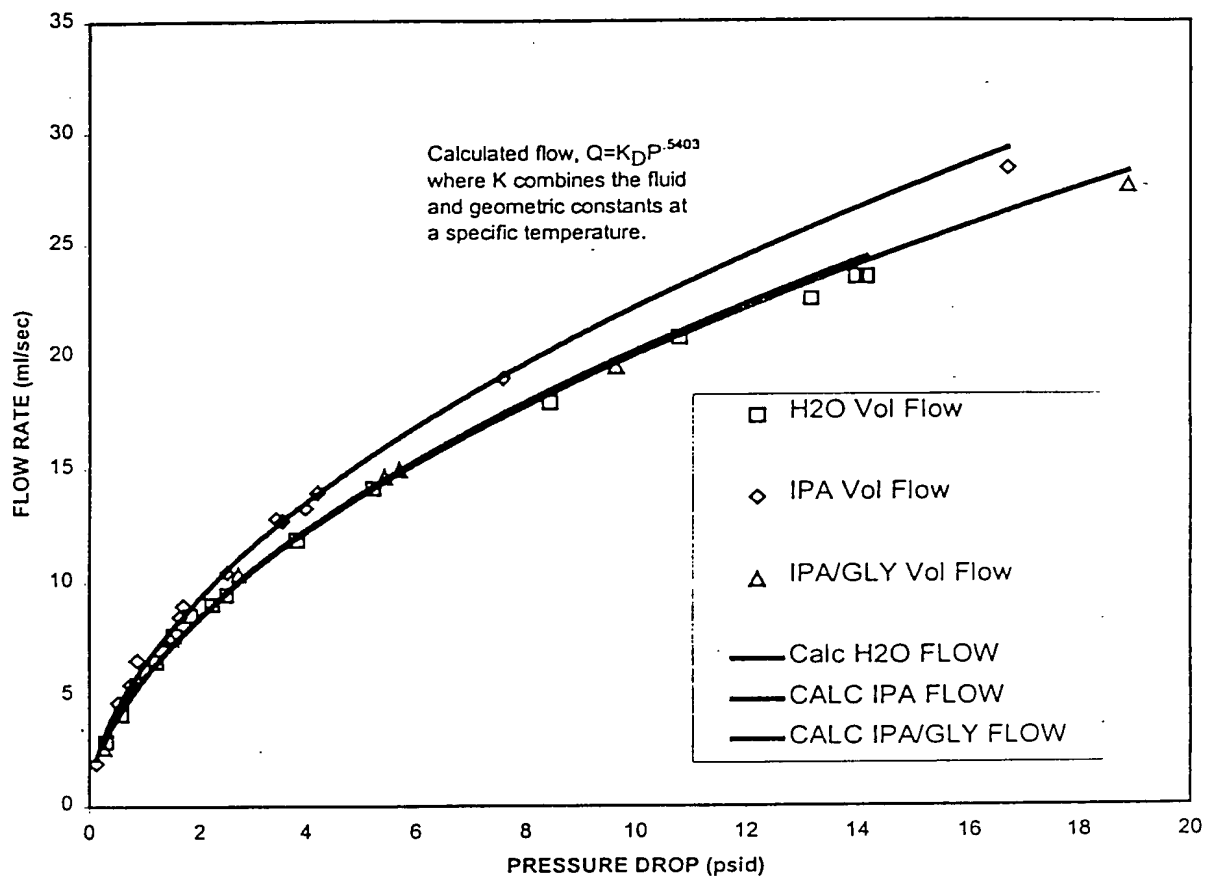


Figure 19

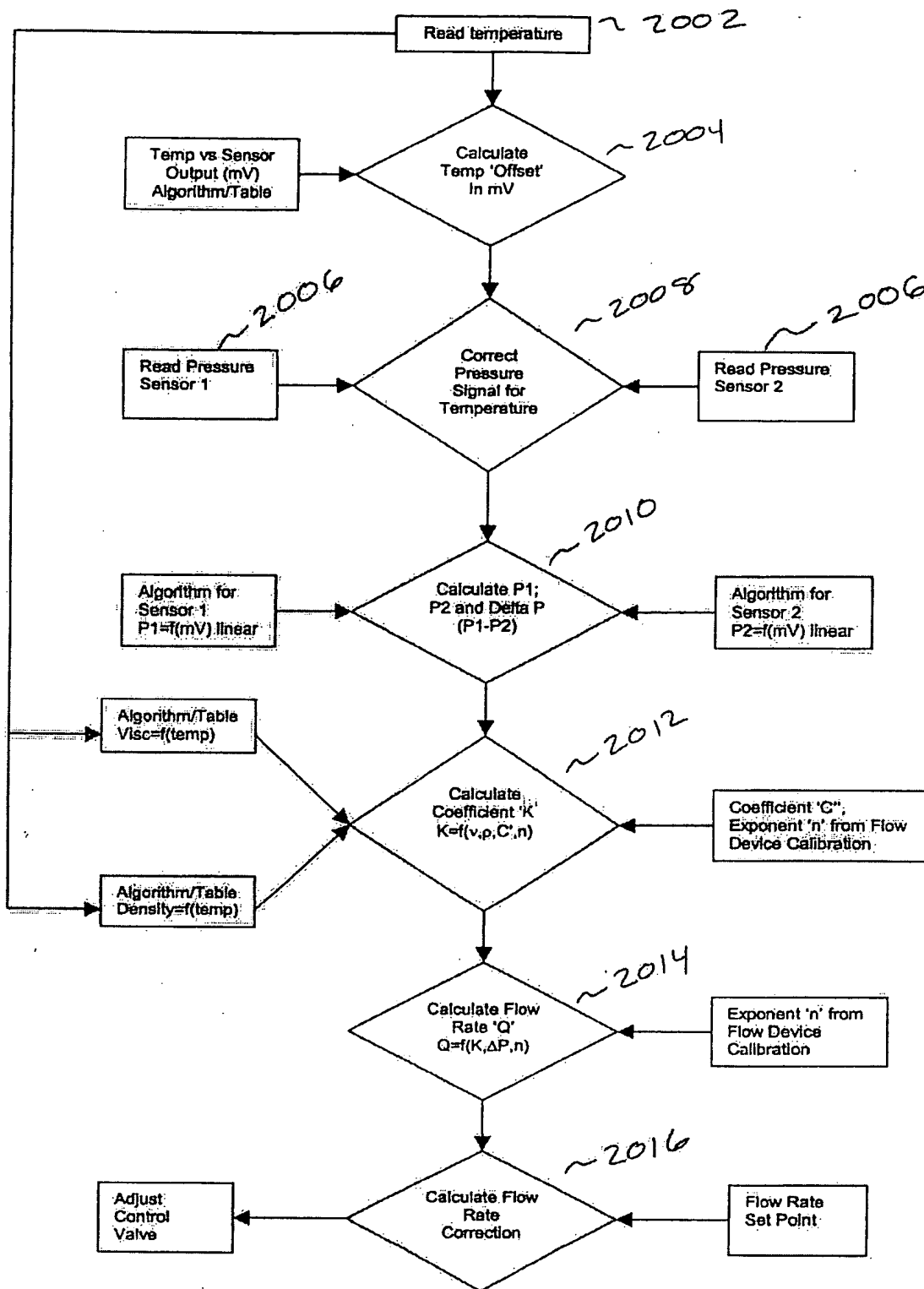


FIG 20

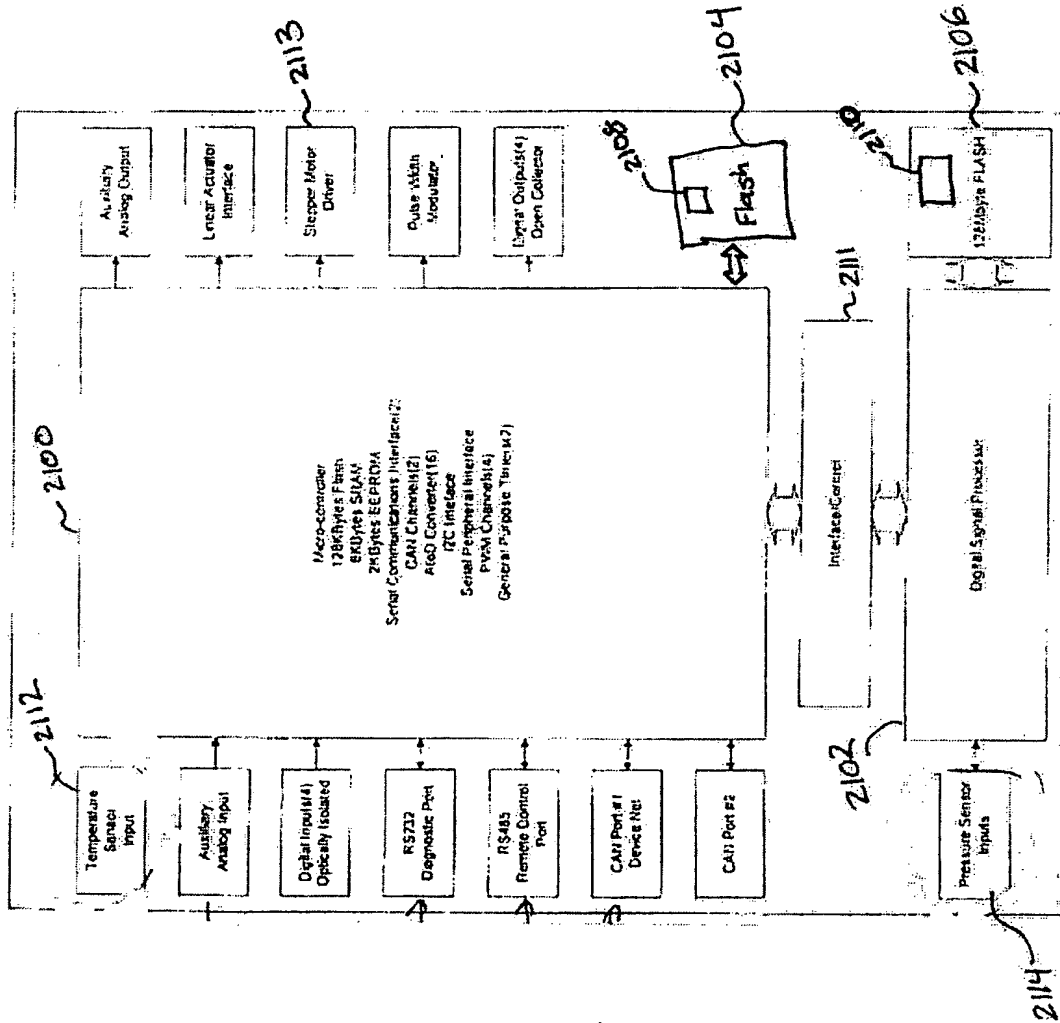


Figure 21

As long as the fluid speed is sufficiently subsonic ( $V < \text{mach } 0.3$ ), the incompressible Bernoulli's equation describes the flow. Applying this equation to a streamline traveling down the axis of the horizontal tube gives,

$$p_a - p_b = \Delta p = \frac{1}{2} \rho V_b^2 - \frac{1}{2} \rho V_a^2$$

From continuity, the throat velocity  $V_b$  can be substituted out of the above equation to give,

$$\Delta p = \frac{1}{2} \rho V_a^2 \left[ \left( \frac{A_a}{A_b} \right)^2 - 1 \right]$$

Solving for the upstream velocity  $V_a$  and multiplying by the cross-sectional area  $A_a$  gives the volumetric flowrate  $Q$ ,

$$Q = \sqrt{\frac{2\Delta p}{\rho}} \frac{A_a}{\sqrt{\left( \frac{A_a}{A_b} \right)^2 - 1}}$$

Ideal, inviscid fluids would obey the above equation. The small amounts of energy converted into heat within viscous boundary layers tend to lower the actual velocity of real fluids somewhat. A **discharge coefficient**  $C$  is typically introduced to account for the viscosity of fluids,

$$Q = C \sqrt{\frac{2\Delta p}{\rho}} \frac{A_a}{\sqrt{\left( \frac{A_a}{A_b} \right)^2 - 1}}$$

Figure 22

10/521697

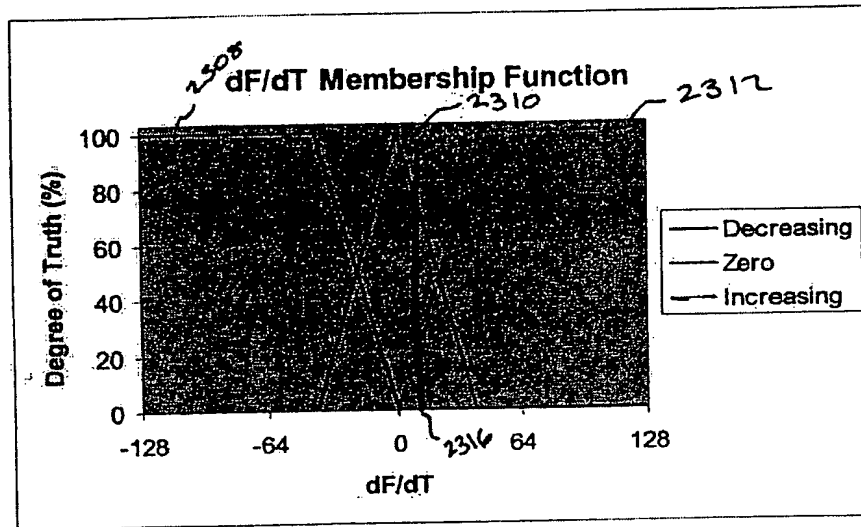


FIG 23B

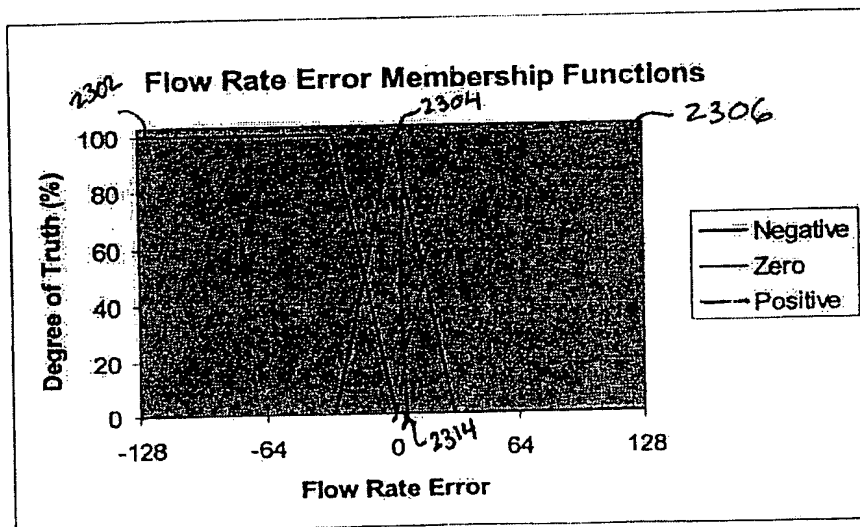


FIG 23A